## Supplemental Appendix C: Uncertainty in $R_0$ , Full results

## Understanding uncertainty in temperature effects on vector-borne disease: A Bayesian approach

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### C.1 Brière function for vector competence



Figure C.1: Relative  $R_0$  (scaled so that the maximum value of the mean is one) assuming a Brière function for vector competence, with uninformative priors on all components (blue, dashed) and informative priors on on components (red, solid). (a) mean  $R_0$  with 95% HPD around each curve is shown as a dotted line. (b) mean  $R_0$  only.



Figure C.2: Smoothed posterior distributions of the temperatures corresponding to the (left) lower limit of  $R_0$ , (middle) peak of  $R_0$ , (right) upper limit of  $R_0$  all assuming Brière function for vector competence. Case with uninformative prior is shown as a blue dashed line and with informative prior as a solid red line.

#### C.2 Quadratic function for vector competence



Figure C.3: Relative  $R_0$  (scaled so that the maximum value of the mean is one) assuming a quadratic function for vector competence, with uninformative priors on all components (blue, dashed) and informative priors on on components (red, solid). (a) mean  $R_0$  with 95% HPD around each curve is shown as a dotted line. (b) mean  $R_0$  only.



Figure C.4: Smoothed posterior distributions of the temperatures corresponding to the (left) lower limit of  $R_0$ , (middle) peak of  $R_0$ , (right) upper limit of  $R_0$  all assuming a quadratic function for vector competence. Case with uninformative prior is shown as a blue dashed line and with informative prior as a solid red line.

# C.3 Comparing results for vector competence modeled with Brière and Quadratic functions



Figure C.5: Relative  $R_0$  (scaled so that the maximum value of the mean is 1) calculated with informative priors on all components. With Brière response for vector competence (blue) and quadratic response for vector competence (green)

bc function	priors	lower limit	peak	upper limit
Brière	uninformative	20.08 (15.9 - 23.9)	25.16(23.4 - 26.8)	29.23(25.2 - 31.7)
Brière	informative	$19.24 \ (15.8 - 23.0)$	$25.51 \ (24.0 - 27.0)$	$31.43\ (29.9-32.1)$
quad	uninformative	$20.08 \ (15.9 - 23.9)$	24.94 (23.2 - 26.4)	$29.57 \ (25.3 - 32.9)$
quad	informative	$19.24 \ (15.8 - 23.0)$	25.36(23.9-26.7)	$32.3\ (29.9-34.4)$

Table C.1: Mean and 95% Highest Posterior Density (HPD) interval for the lower limit, peak value, and upper limit of  $R_0$  for different amounts of prior information. TOP - Brière fit for bc; Bottom - Quadratic fit for bc

### C.4 Sensitivity of $R_0$ to temperature



Figure C.6: (a) Median value of the sensitivity of  $R_0$  to temperature overall and by component, scaled to the maximum value of the posterior mean of  $R_0$  (b) Median value of the sensitivity of  $R_0$  to temperature by component, scaled by  $10 \times$  the posterior median of  $R_0$  plus a small correction (to avoid division by zero).



Figure C.7: Highest Posterior Density (HPD) interval of the sensitivity of  $R_0$  to temperature, by component, and scaled by the maximum value of the posterior mean of  $R_0$ .